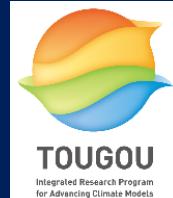


Revised parameterization of wave induced turbulent kinetic energy for upper ocean surface mixing

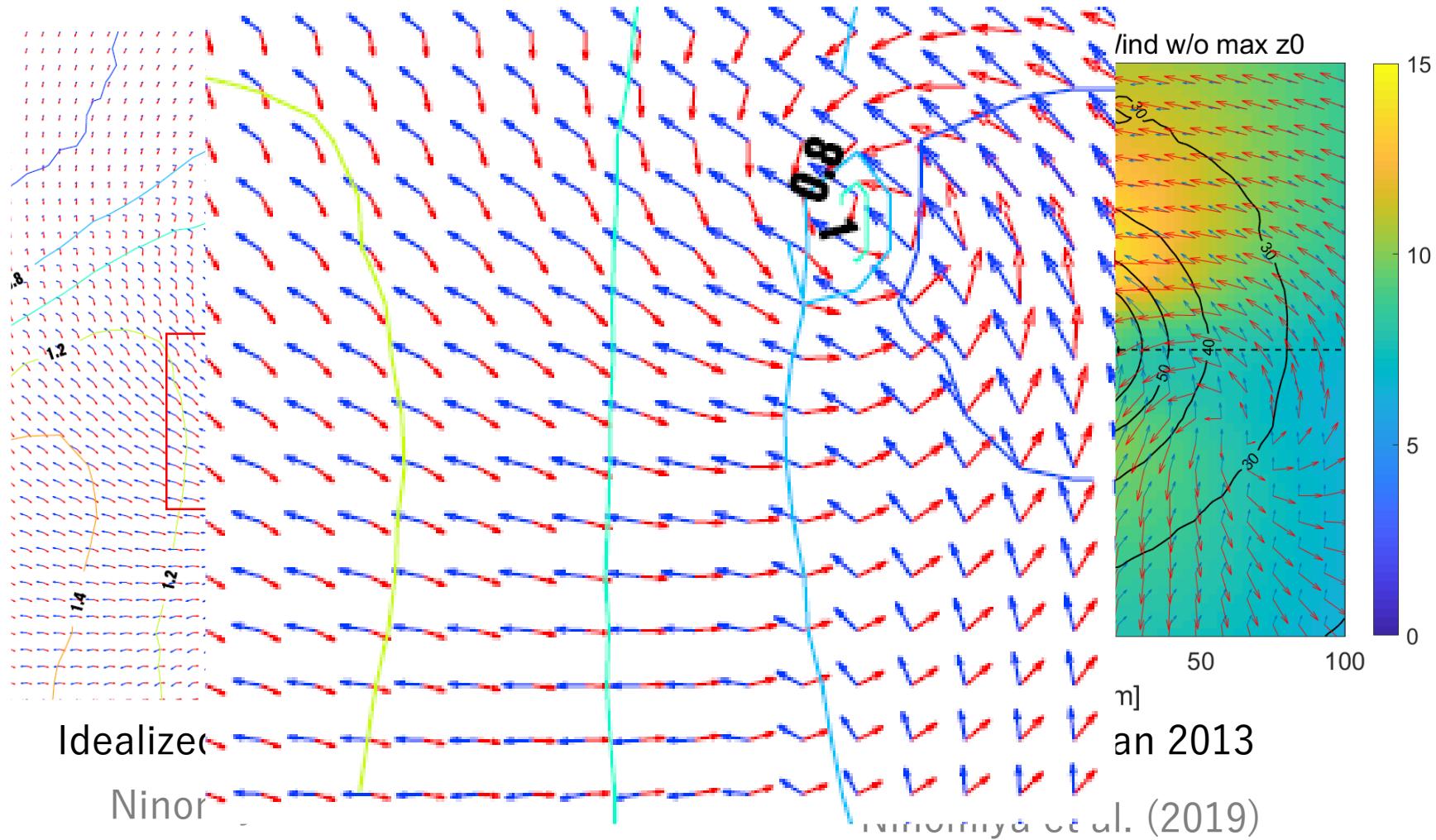
Nobuhito Mori
Masashi Takagi, Tomoya Shimura
Disaster Prevention Research Institute (DPRI), Kyoto University
Junichi Ninomiya
Kanazawa University

京都
大学

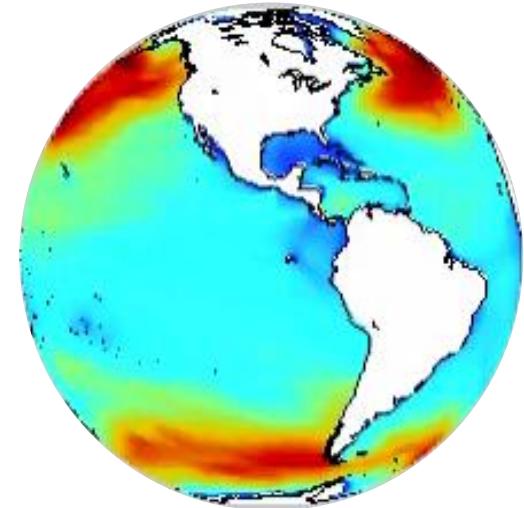
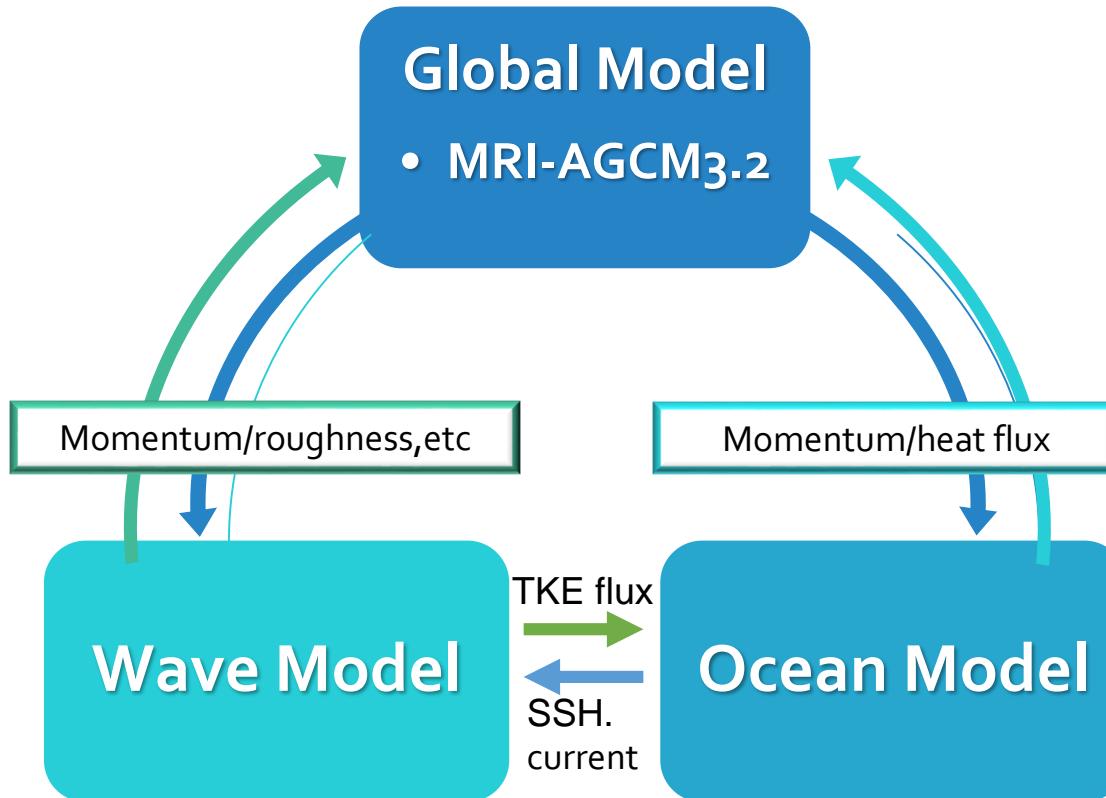


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Wind and wave direction are not same



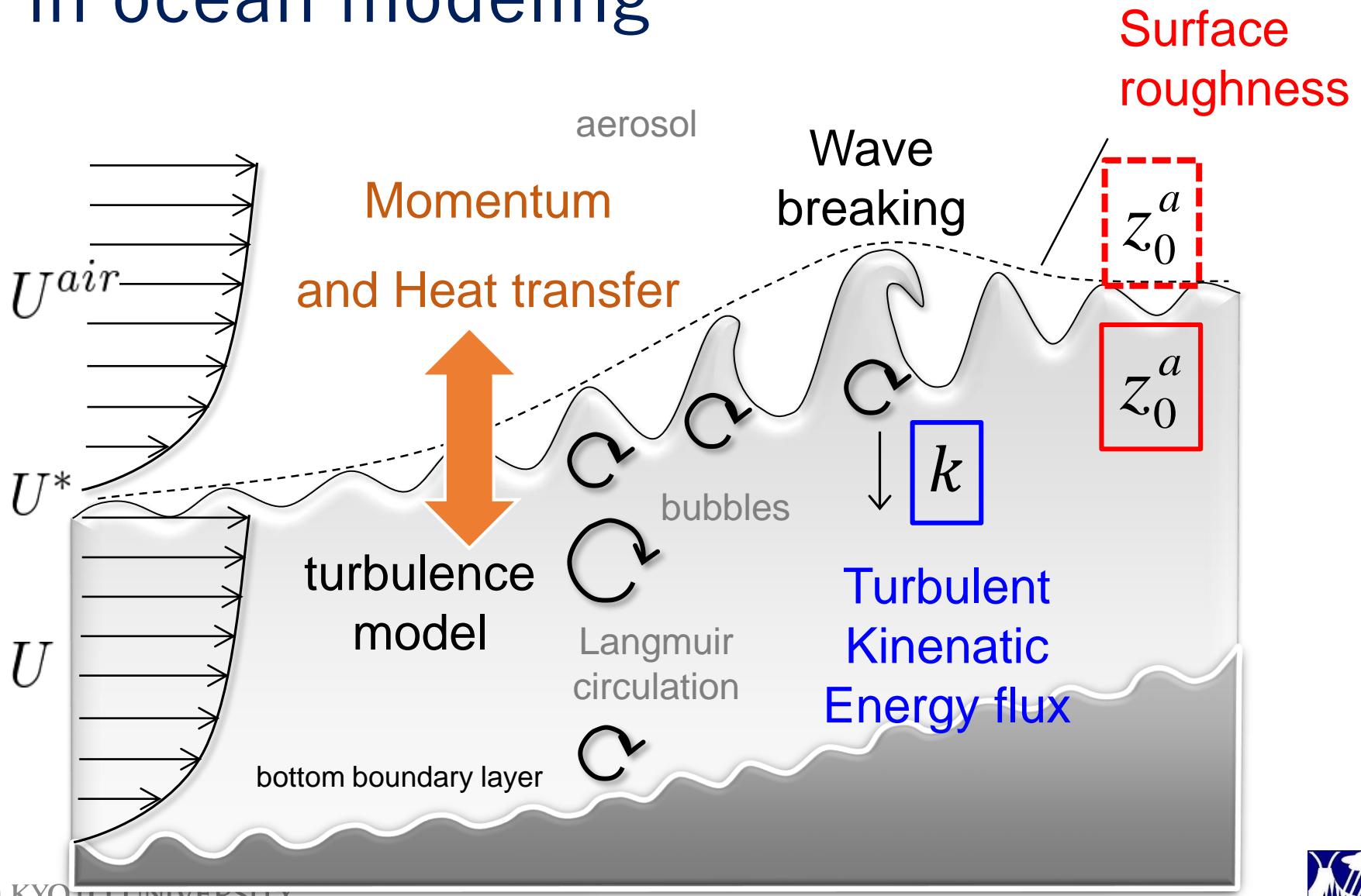
Wave information is important for coupling models



Coupling model development

ECMWF, NOAA, JMA, CSIRO, Helmholtz-Zentrum Geesthacht and ETC

Role of air-sea interaction in ocean modeling



Wave breaking induced TKE

- 1-D equation for turbulent kinetic energy(TKE) with k- ε model is assumed to be used

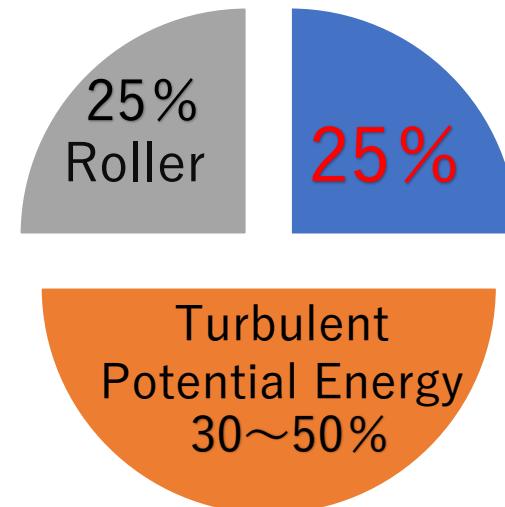
$$\frac{\partial k}{\partial t} = \frac{\partial}{\partial z} \left(\frac{K_v}{\sigma_k} \frac{\partial k}{\partial z} \right) + K_v S^2 - \varepsilon$$

- Boundary condition at MWL is needed to supply k
- Feddersen and Trowbridge (2005)

$$\frac{K_v}{\sigma_k} \frac{\partial k}{\partial z} = \alpha \overline{\varepsilon_w} \quad \text{at } z=0$$

where $\alpha = 1/4$

- Feddersen and Trowbridge (2005) for shallow water breaking study
 - 1/4 of wave breaking dissipation will be used for TKE



Bulk Formula of Turbulent Kinetic Energy (TKE) flux at water surface

1. Zero

$$K_k \frac{\partial k}{\partial z} = 0$$

2. Craig and Banner (CB) (1994)

$$K_k \frac{\partial k}{\partial z} = \alpha_{CB} u_*^3 \quad \alpha_{CB} = 100$$

3. Feddersen and Trowbridge (2005)

$$K_k \frac{\partial k}{\partial z} = \alpha_{wdiss} \epsilon_{wdiss} \quad \alpha_{wdiss} = 0.25$$



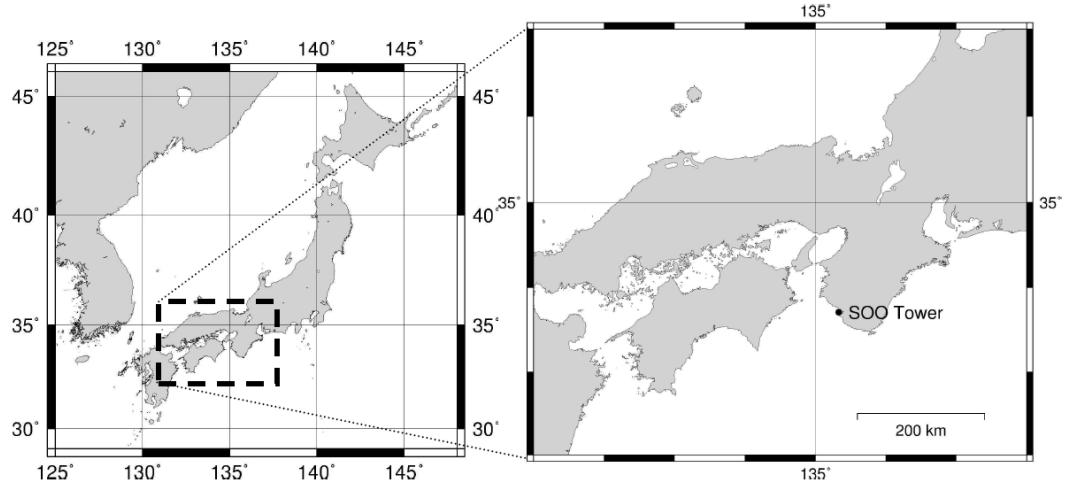
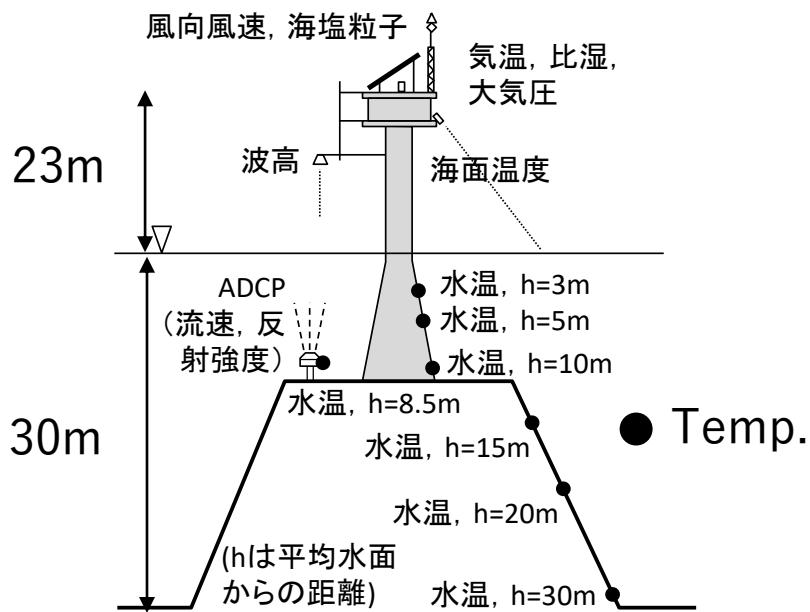
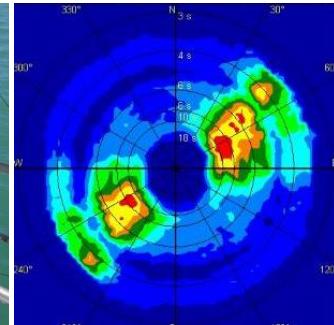
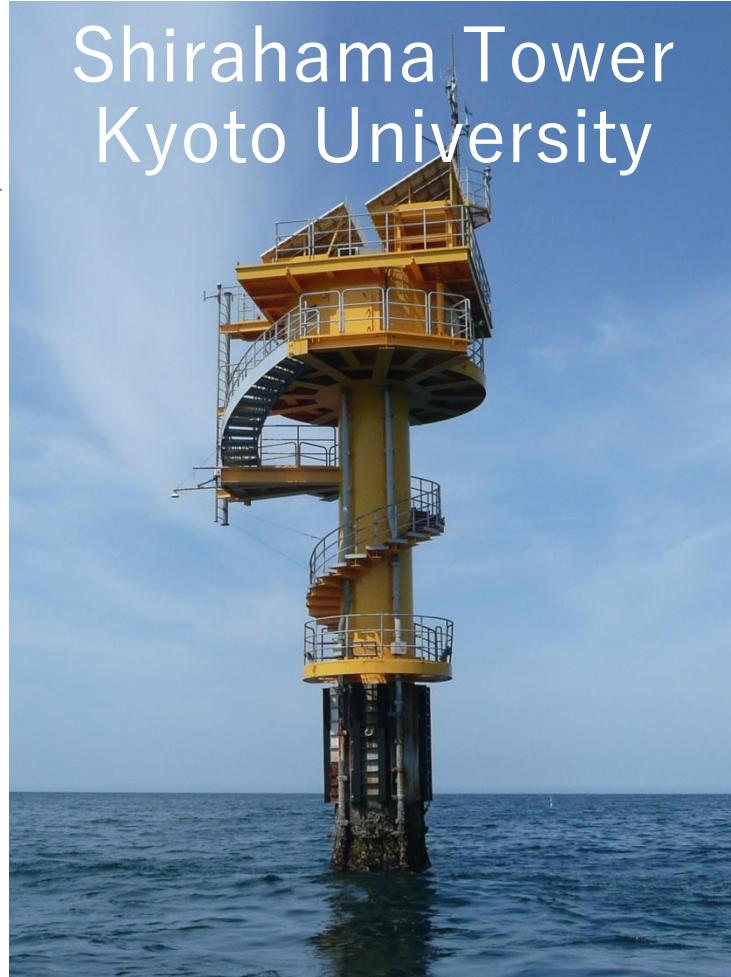


Figure 1 Shirahama Oceanographic Observatory



Field experiments for typhoons since 2009

Shirahama Tower Kyoto University

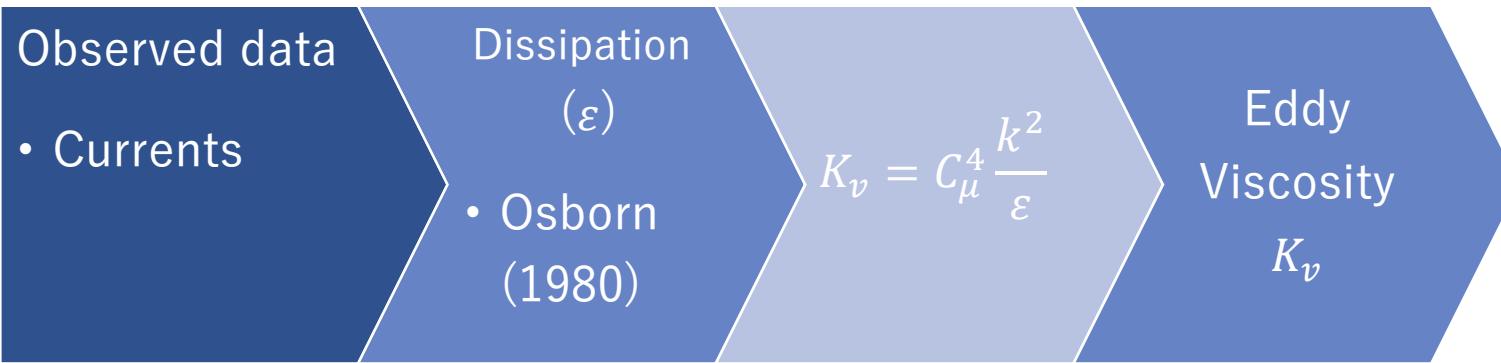


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Flow of revising parameterization

Wind speed,
direction



TKE transport
fraction α

Optimization of TKE flux

- Turbulent kinetic energy(TKE)

- Defining turbulence

$$u_i' = u_i - \bar{u}_i$$

u_i : raw current velocity(5 minutes averaged data)

\bar{u}_i : mean current velocity (20 minutes averaged data)

u_i' : turbulence velocity

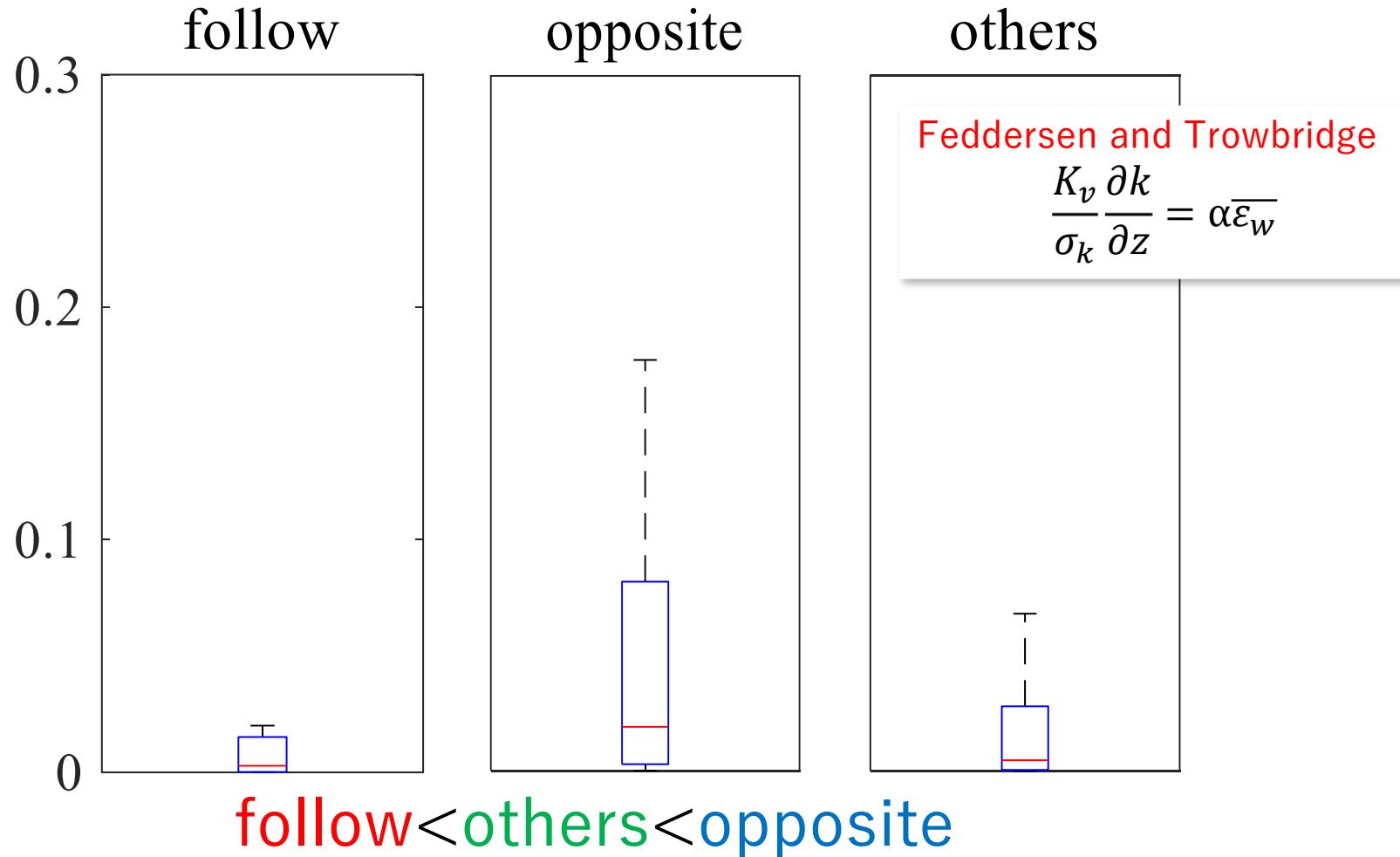
- Estimation of TKE(k)

$$k = \sum_i \frac{\overline{u_i'^2}}{2}$$

- If the vertical gradient of TKE on sea surface is **negative value**, the data is removed as **abnormal data**



Result of tuning parameter α



In case “follow”, the correlation coefficient between the inverse number of wave steepness and α is 0.45



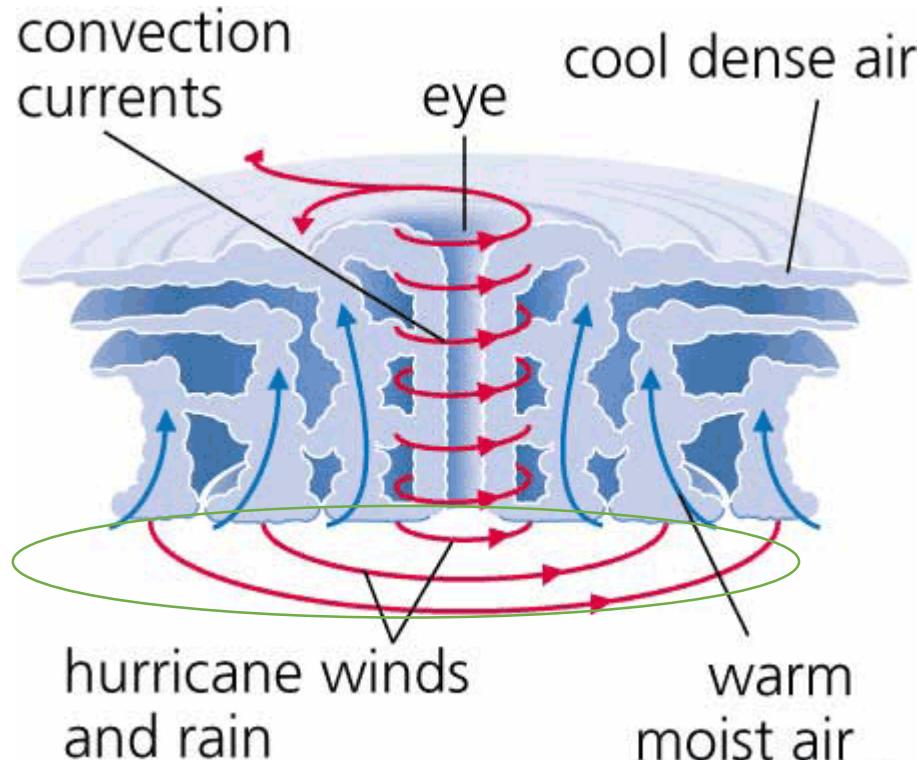
Impact of wave-induced turbulence on tropical cyclone(TC)

京都大学

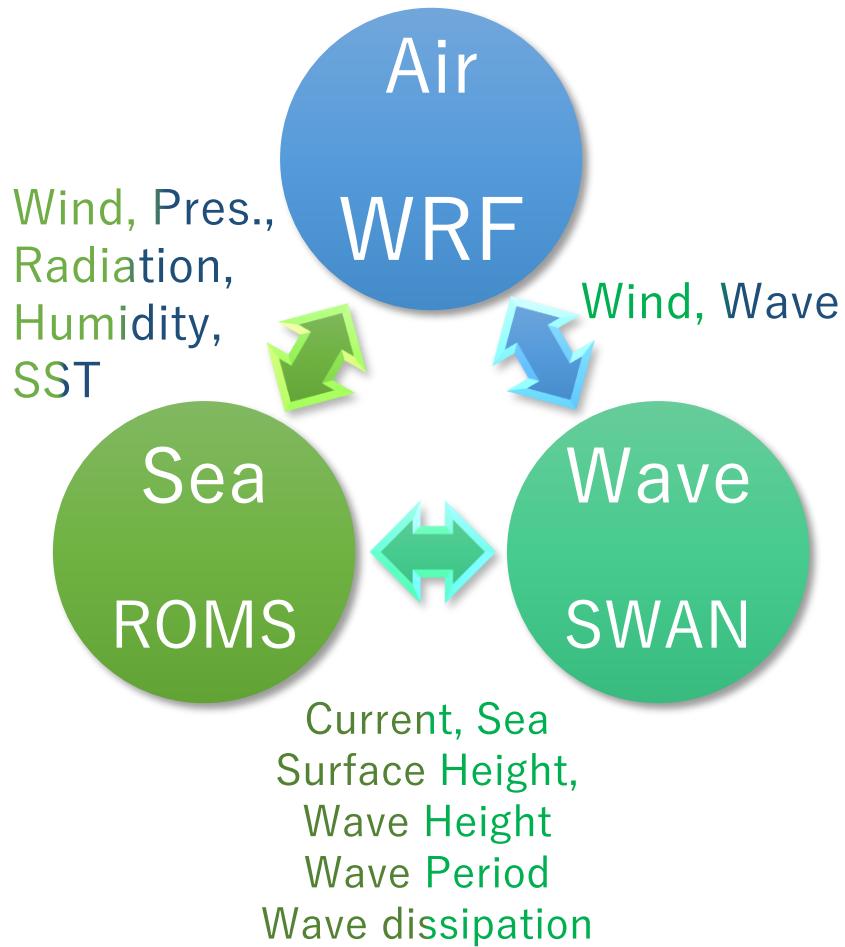


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Model Setup

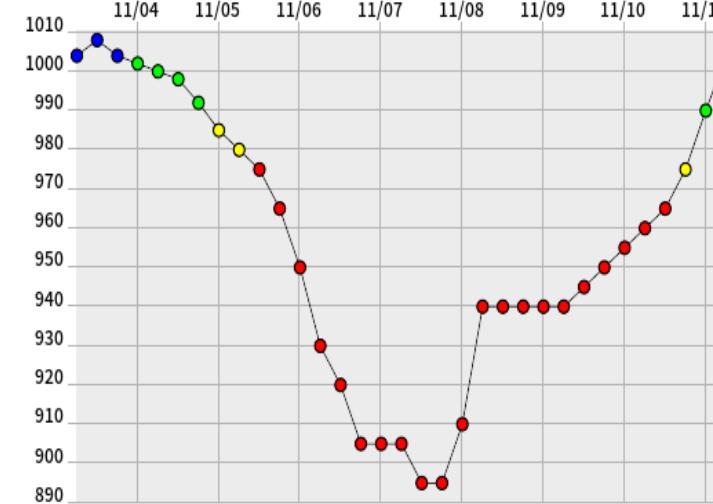
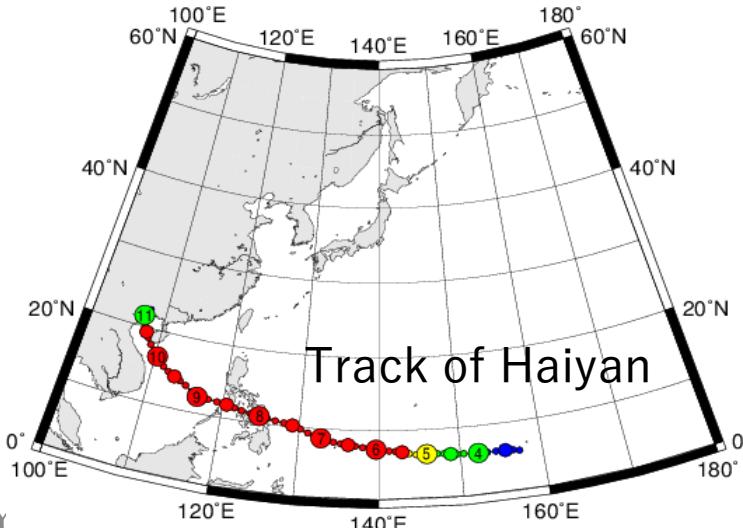


AOW Model



Analysis of the impact on TC

- Simulation model : COAWST (Atmosphere-ocean-wave coupled model)
 - Regional weather model : WRF ($444 \times 222 \times 56$)
 - Ocean model : ROMS ($444 \times 222 \times 20$)
 - Wave model : SWAN (444×222)
 - Horizontal resolution is 9km
- Target: Haiyan (2013, No.30)
- Simulation period : 2013/11/5~11/9



Minimum sea level pressure

Numerical tests

Feddersen and Trowbridge

$$\frac{K_v}{\sigma_k} \frac{\partial k}{\partial z} = \alpha \bar{\varepsilon}_w$$

Case 1. $\frac{K_v}{\sigma_k} \frac{\partial k}{\partial z} = \text{func(wind speed)} \text{ (CB94)}$

Case 2. $\alpha = \text{constant} \text{ (FT05)}$

Case 3. $\alpha = \text{func(wind direction, wave direction)}$
 $(Wdir)$

Case 4. $\alpha = \text{func(wind dir., wave dir., wave steepness)}$
 $(Wstp)$

Blue existing parameterization

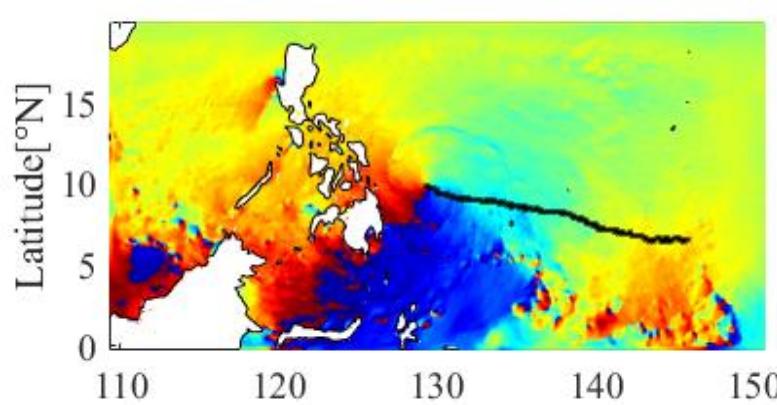
Red revised



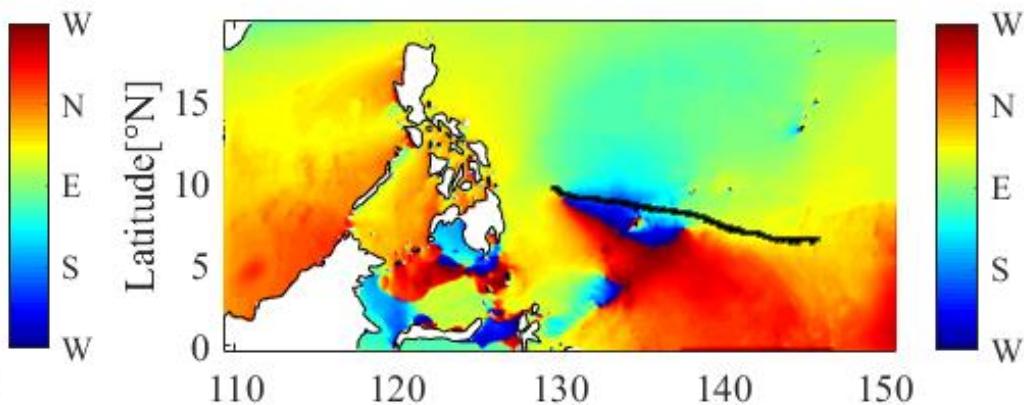
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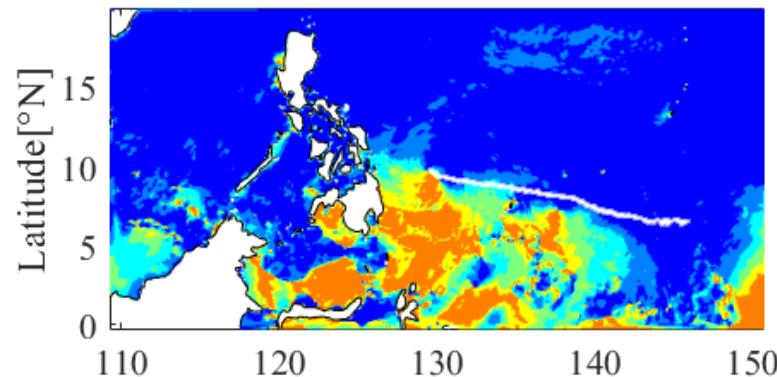
Snapshot of parameters directions, steepness



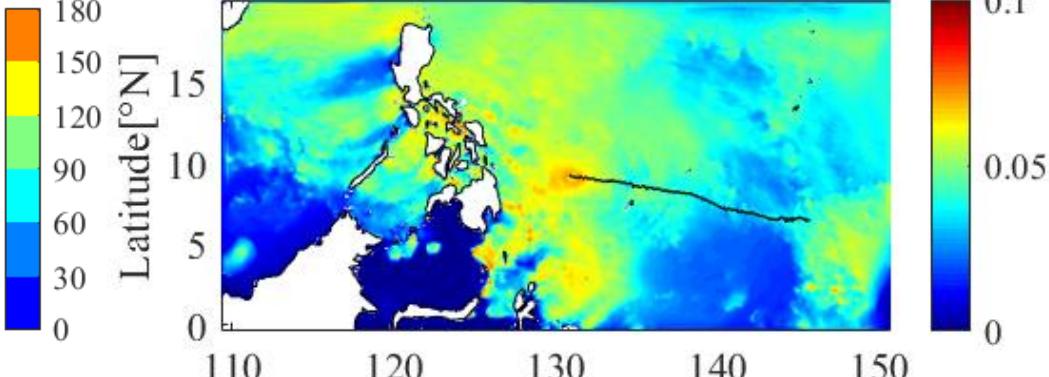
Wind direction



Wave direction

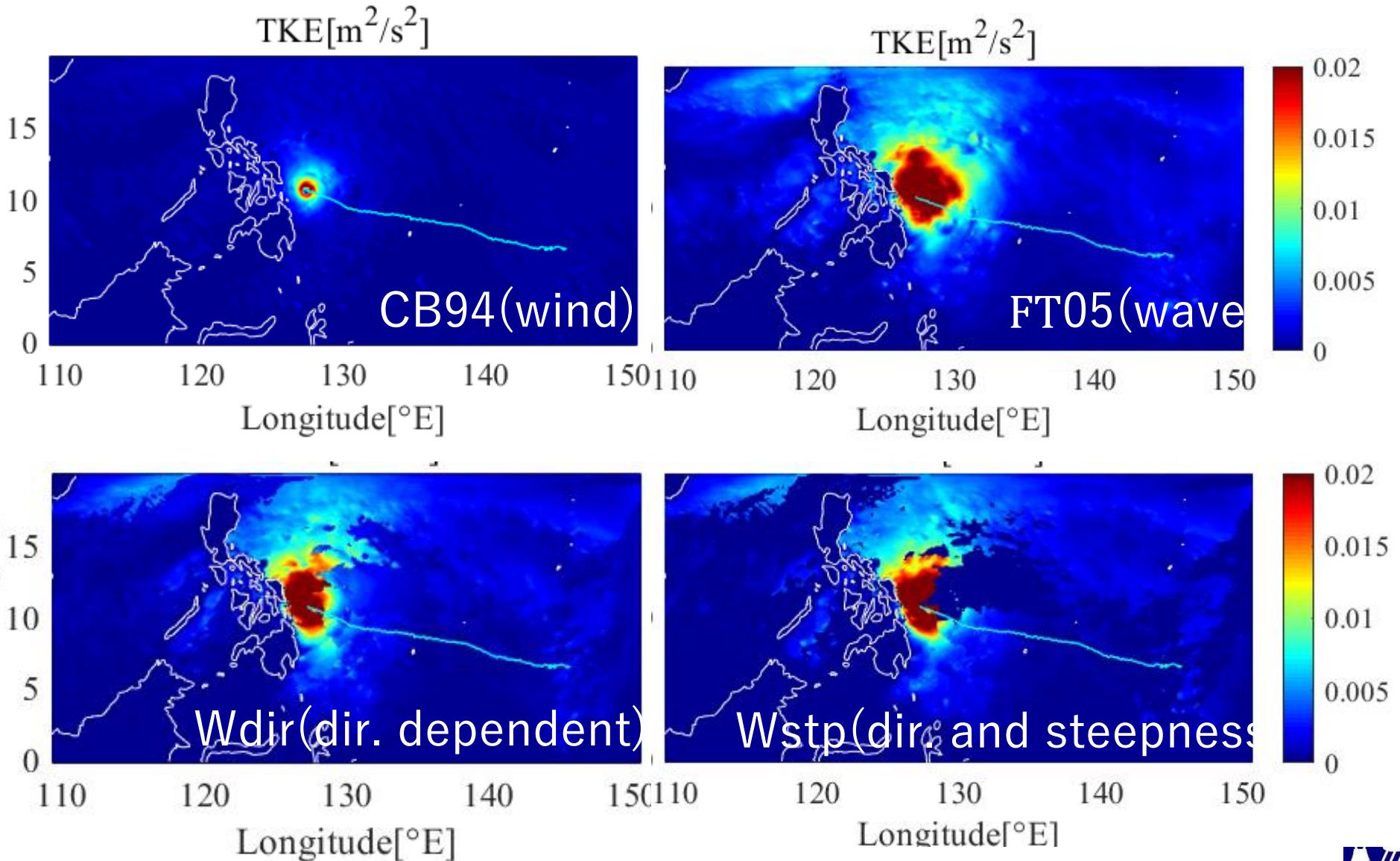


Difference of wind
and wave direction

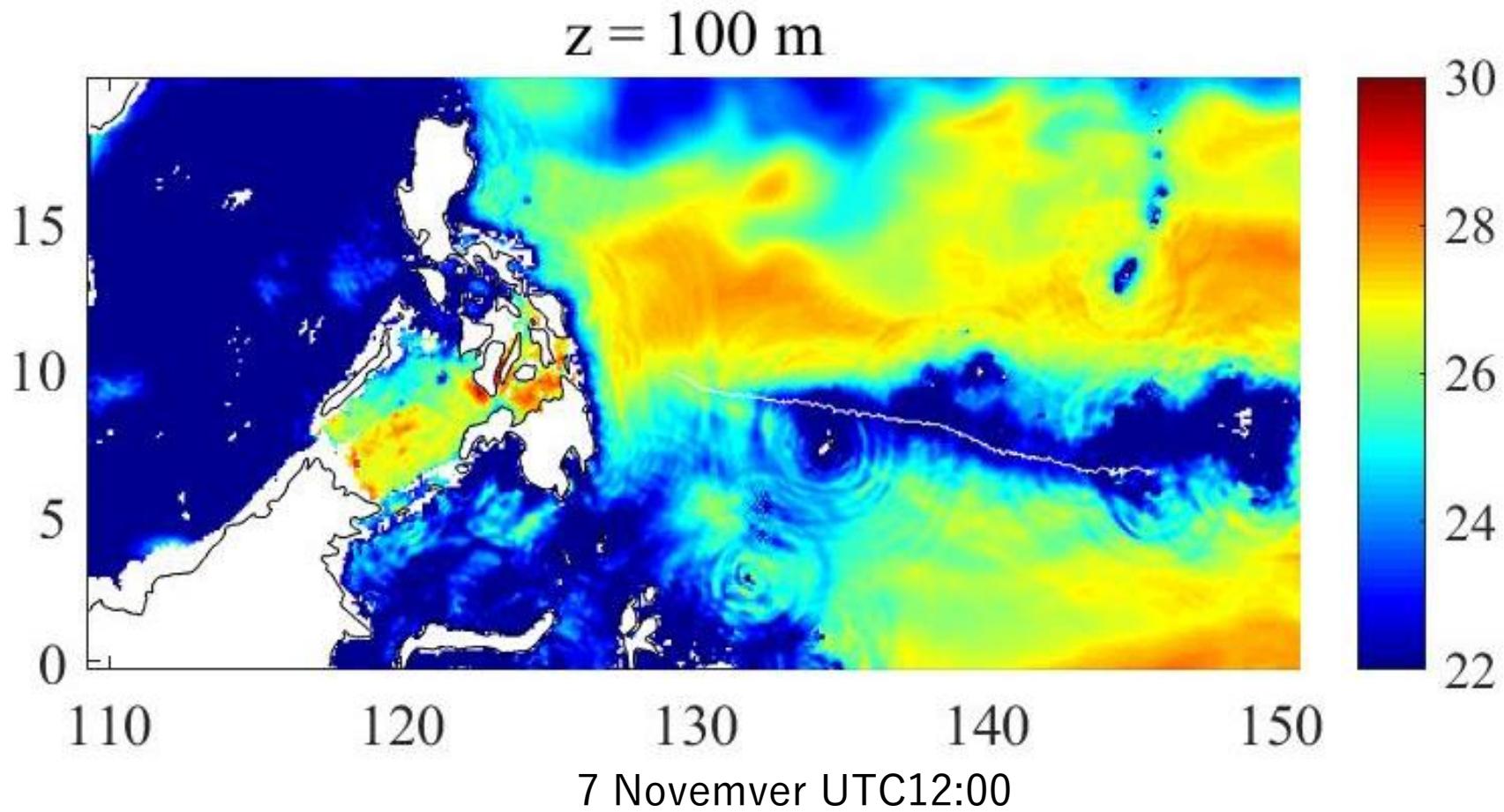


wave steepness

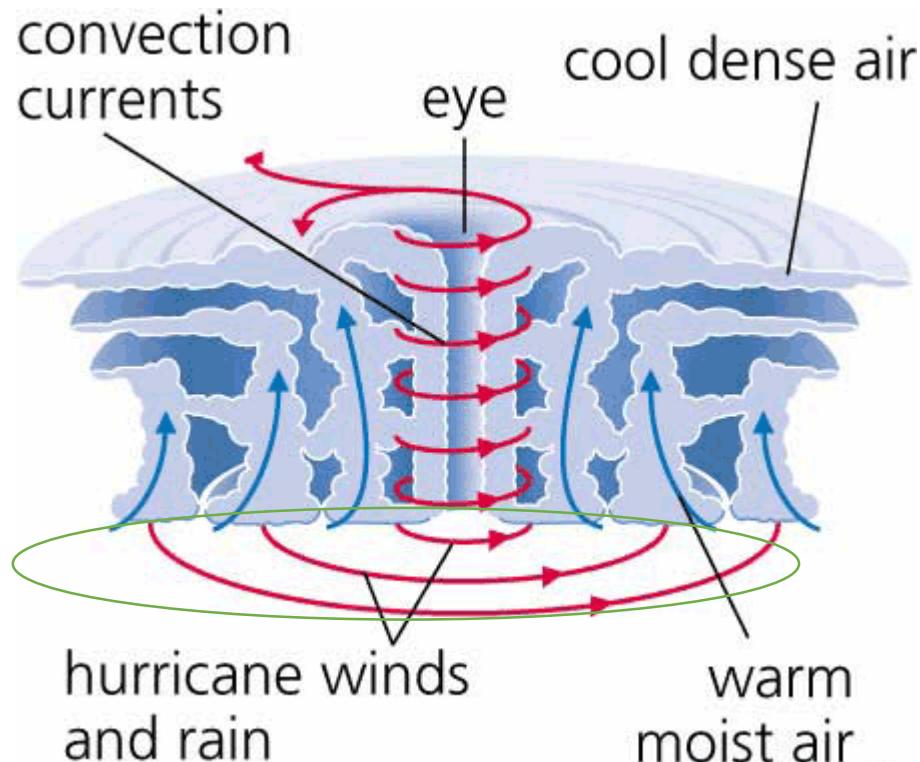
Snapshot of TKE



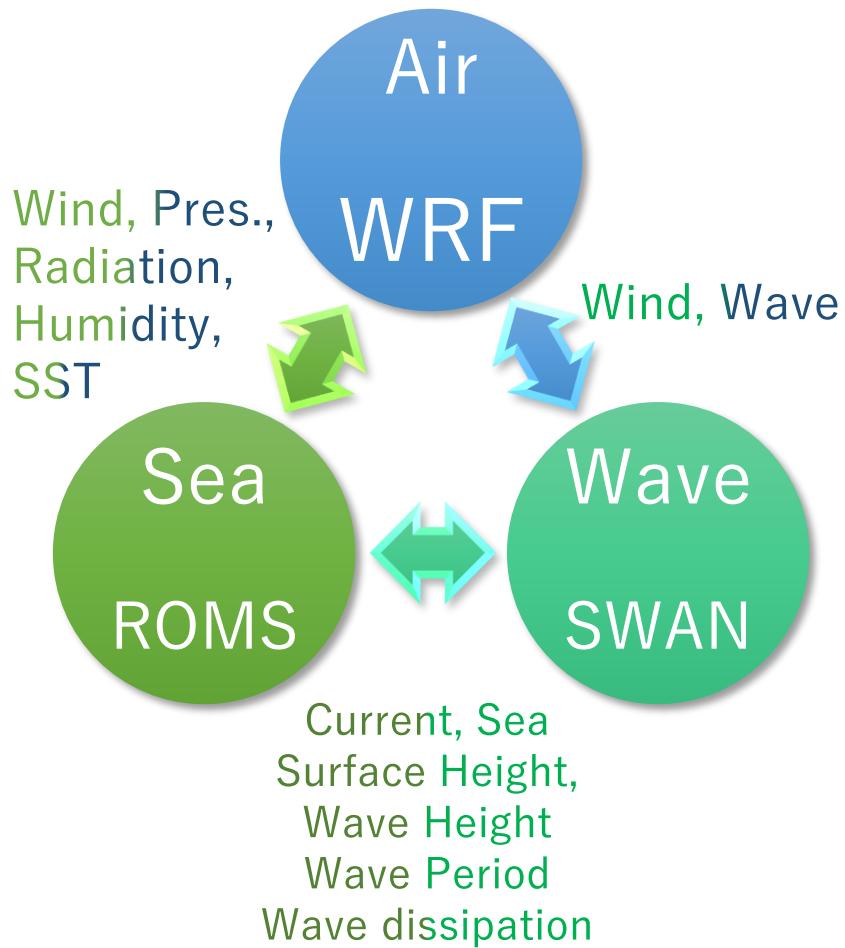
Changes of temperature at $h=100\text{m}$ TC Haiyan 2013



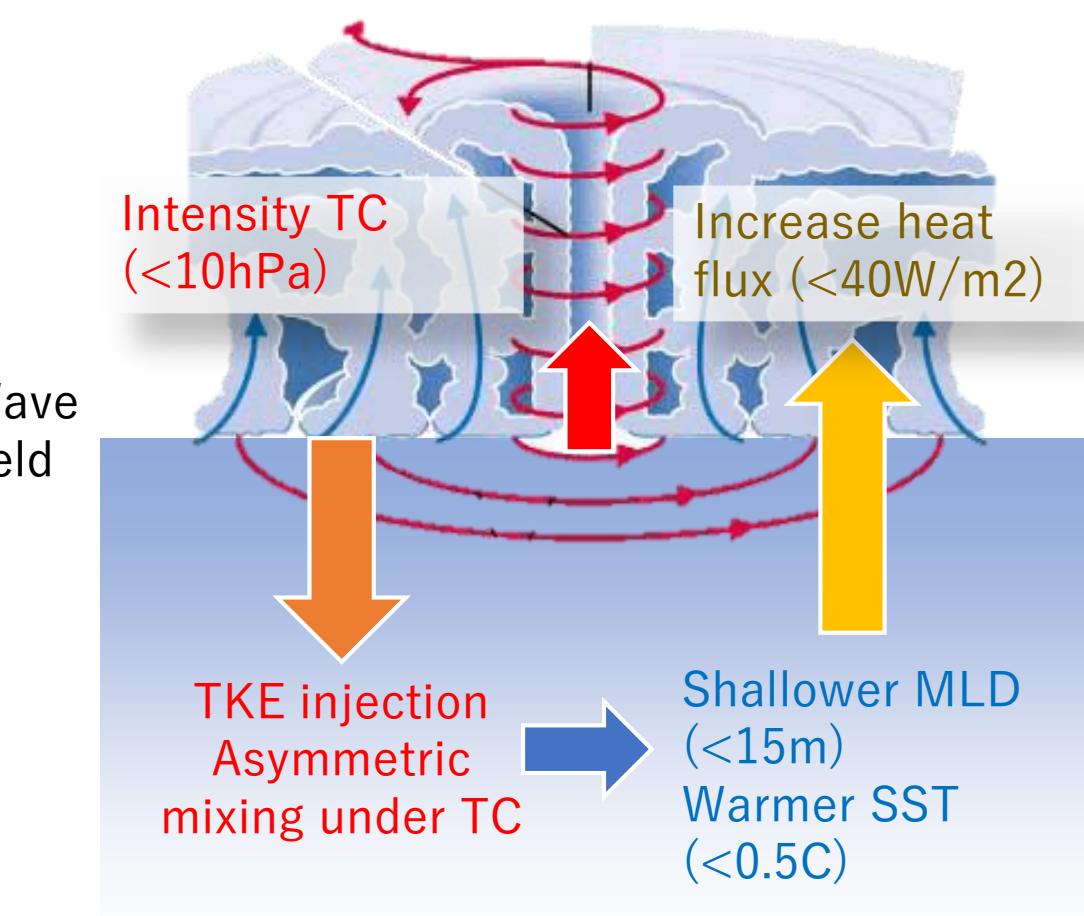
Conclusion



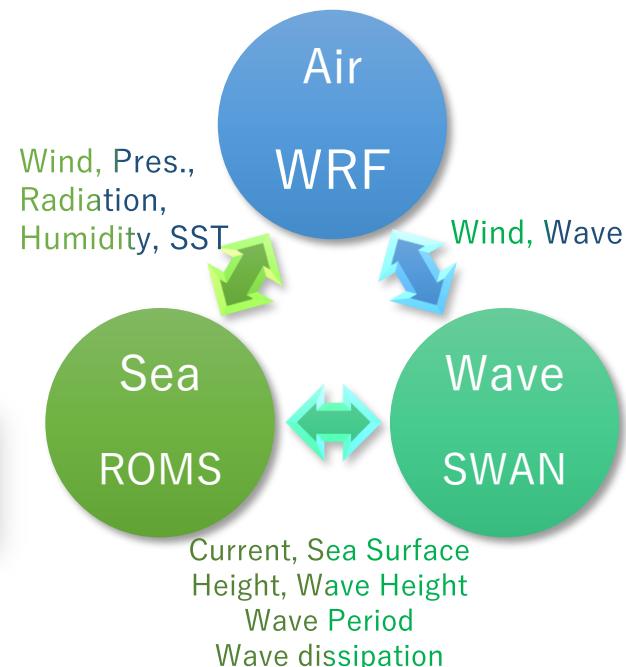
AOW Model



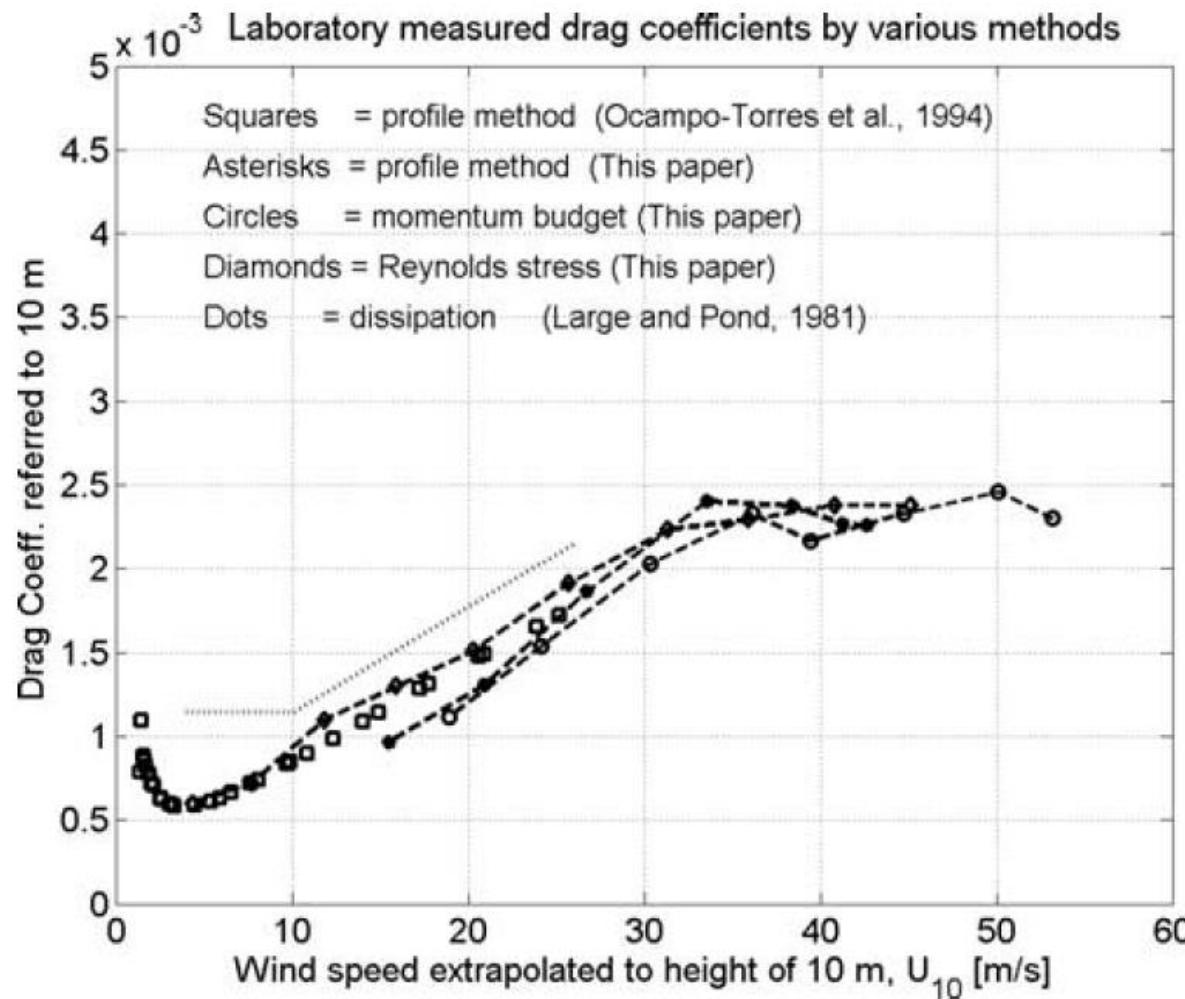
Conclusion



AOW Model



Donelan et al. (2004) GRL



Wave related parameterizations need to be revised/improved

Momentum roughness length:

$$z_{0m} = \underbrace{\frac{0.11\nu}{u_*}}_{\text{Viscous term}} + \underbrace{\frac{\alpha}{g} u_*^2}_{\text{Wave term}}$$

$$C_d = \left(\frac{u_*}{U_z} \right)^2 = \left(\frac{\kappa}{\Phi_m(L, z + z_{0m}, z_{0m})} \right)^2$$

$$\tau_{tot} = \rho_a C_d U_z^2$$

$$z_{0h} = f(z_{0m}, u_*)$$

$$C_H = \frac{\kappa^2}{\Phi_m(L, z + z_{0m}, z_{0m}) \Phi_h(L, z + z_{0m}, z_{0h})}$$

$$\frac{H}{\rho c_p} = -C_H \frac{u_*}{\sqrt{C_D}} \left(\Delta T + \frac{g}{c_p} (z + z_{0m} - z_{0h}) \right)$$

- Taylor and Yelland (2001) : Wave Slope
- Oost (2002) : Wave age, Wave length
- Drennan (2003) : Wave age, Wave height



Questions?